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## A 510,000-Year Record of Mars' Climate

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### Key Points:

- H<sub>2</sub>O ice layers in Mars' Massive CO<sub>2</sub> Ice Deposit record obliquity-mediated rates of midlatitude-to-pole H<sub>2</sub>O transport over the past 510 kyr
- The record's unique CO<sub>2</sub> cold-trapping environment isolates the orbit-forcing signal from other processes, simplifying its interpretation
- Orbit-resolved H<sub>2</sub>O transport rates place an important new quantitative bound on processes driving Mars' recent (~3.5 Myr) global water cycle

### Supporting Information:

Supporting Information may be found in the online version of this article.

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**Abstract** Mars' polar layered deposits record its climate history. However, no deposit yet analyzed provides a global water cycle record that can be tied to a specific orbital history. Here, I fill this gap by analyzing H<sub>2</sub>O ice layer formation in Mars' south polar Massive CO<sub>2</sub> Ice Deposit (MCID), a 510,000-year climate record. Statistical analyses of ~10<sup>9</sup> formation model runs compared to observed stratigraphy indicate a variable H<sub>2</sub>O deposition rate of ~1, 0.1, and 0.01 mm yr<sup>-1</sup> at 20, 24, and 28° obliquity, respectively—likely recording the obliquity-dependent midlatitude-to-pole H<sub>2</sub>O transport rate. The MCID record allows unprecedented obliquity-driven H<sub>2</sub>O ice deposition rate derivation because of its well-defined age relative to other deposits and its CO<sub>2</sub> cold-trapping effect, which simplifies local seasonal and long-term H<sub>2</sub>O flux. The recovery of an orbit-resolved H<sub>2</sub>O transport rate is an essential step in elucidating Mars' global, orbit-driven water cycle.

**Plain Language Summary** Mars' south pole hosts a deposit of alternating CO<sub>2</sub> and H<sub>2</sub>O ice layers, which contain a record of global H<sub>2</sub>O and CO<sub>2</sub> transport as Mars' orbit evolved during the past 510 thousand years. I created a numerical model to simulate the build-up of the layers over time and ran the model approximately one billion times, each time using a different governing function of H<sub>2</sub>O ice deposition as a function of Mars' orbital configuration. Using statistical analysis, I found that an H<sub>2</sub>O ice deposition function that exponentially decreases as a function of obliquity (spin-axis tilt) best recreates the observed layer sequence. Recovery of a south polar H<sub>2</sub>O-ice-deposition-versus-obliquity function is novel and important for elucidating how Mars' global water cycle is driven by its orbital variations.

## 1. Introduction

Characterizing the history of processes controlling Mars' recent climate under different orbital configurations is a major Mars science goal (Banfield et al., 2020). Mars' polar deposits contain a record of H<sub>2</sub>O transport between north and south polar, mid-latitude, and equatorial reservoirs in response to Mars' orbital element oscillations (Becerra et al., 2021; Smith et al., 2020).

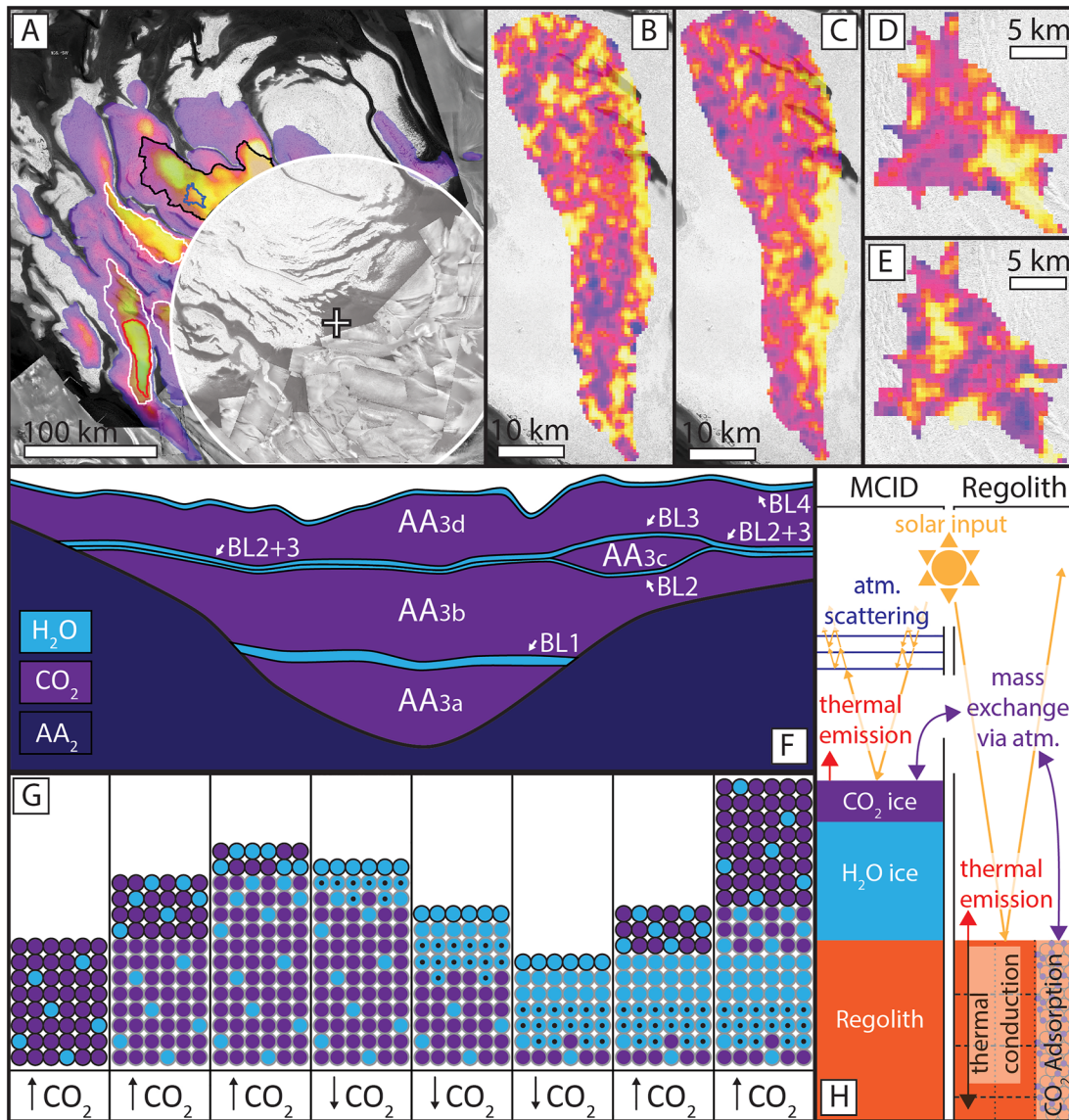
4–5 Myr ago, a 10(+)-Myr duration high obliquity state favoring tropical H<sub>2</sub>O glaciation (Head et al., 2003) transitioned to a low obliquity state (Laskar et al., 2004). Within <~1 Myr, tropical H<sub>2</sub>O ice migrated to the midlatitudes and poles (Montmessin et al., 2004), followed by gradual transport of midlatitude H<sub>2</sub>O ice to the poles (Levrard et al., 2007; Mellon & Jakosky, 1995).

Mars' recent (<~3.5 Myr) H<sub>2</sub>O cycle is probably driven by 10<sup>5</sup>-yr obliquity and 10<sup>4</sup>-yr longitude of perihelion cycles. Midlatitude-to-pole H<sub>2</sub>O transport is likely obliquity mediated, but quantitative present-day and historical transport rates are highly uncertain (Montmessin et al., 2017). Interhemispheric polar H<sub>2</sub>O ice transport is likely mediated by longitude of perihelion precession; Mars' present configuration favors north-to-south polar H<sub>2</sub>O ice transport, reversing at opposite perihelion configuration (Montmessin et al., 2007). However, the CO<sub>2</sub> south polar residual cap (SPRC) is a perennial cold-trap sink of H<sub>2</sub>O (Richardson & Wilson, 2002). Presently, ~3 × 10<sup>12</sup> kg of H<sub>2</sub>O ice participates in an equilibrated seasonal sublimation-deposition cycle. Approximately one-third exchanges between hemispheres and ~two-thirds recycles within the northern hemisphere (Montmessin et al., 2017).

Previous studies of H<sub>2</sub>O ice and dust layers in the North and South Polar Layered Deposits (NPLD, SPLD) and near-polar ice deposits extracted ~0.1–0.5 mm yr<sup>-1</sup> deposition rates averaged over a few Myr using wavelet analysis (Becerra et al., 2017, 2019; Sori et al., 2022) and simplified stratigraphic development modeling (Hvidberg et al., 2012). However, these averaging timescales are much longer than orbital element periodicities, the deposits have loose temporal constraints (Tanaka et al., 2008), and no model has yet produced a one-to-one correlation between modeled and observed layers in these deposits (Hvidberg et al., 2012; Levrard et al., 2007). Thus, quantitative transport rates as a function of Mars' orbital configuration along any leg of Mars' global H<sub>2</sub>O cycle have remained elusive.

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**Figure 1.** (a) Massive CO<sub>2</sub> Ice Deposit overview: pole (cross); no RADAR observations poleward of 87° S (white circle); 0° E (up), 90° E (right); colorized MCID thickness (Alwarda & Smith, 2021); Bounding Layer unit outlines: blue (Region 2 “lens”) = “BL3” overlying “BL2,” black = “BL2+3,” white = “BL2+3” (see Text S1 in Supporting Information S1 nomenclature), red (Region 1) = “BL1.” On THEMIS mosaic (Edwards et al., 2011) and CTX mosaic (Thomas et al., 2016). (b) Thickness of BL1 and (c) BL2+3 in Region 1, (d) BL2 and (e) BL3 in Region 2 (Alwarda & Smith, 2021). Histogram equalized color ranges, cool colors = low, warm = high: (a) 0–946 m, (b) 6–50 m, (c) 16–55 m, (d) 14–71 m, (e) 23–69 m. (f) Schematic MCID cross section. AA<sub>2</sub> is dusty H<sub>2</sub>O ice basement. (g) Schematic stratigraphic model; time marches left to right. Blue = H<sub>2</sub>O unit volume, purple = CO<sub>2</sub> unit. Black outline = new deposition, black dot = consolidated from prior deposition higher in column. MCID CO<sub>2</sub> flux (increasing/decreasing) is noted. (h) Schematic global CO<sub>2</sub> model (left = polar ice, right = nonpolar regolith).

To address this knowledge gap, this study aims to determine south polar H<sub>2</sub>O deposition rates as a function of Mars' orbital configuration in a previously unexplored record: H<sub>2</sub>O ice layers embedded in Mars' south polar Massive CO<sub>2</sub> Ice Deposit (MCID; Bierson et al., 2016; Phillips et al., 2011; Figure 1). The MCID's mass approximately equals Mars' current, principally CO<sub>2</sub> atmosphere (Putzig et al., 2018) and contains spatially variable ~10s-meter-thick H<sub>2</sub>O ice Bounding Layers (BLs), dividing the CO<sub>2</sub> ice into ~100s-meter-thick layers (Figure 1; Alwarda & Smith, 2021). The MCID formed through exchange between polar CO<sub>2</sub> ice, atmospheric CO<sub>2</sub>, and CO<sub>2</sub> adsorbed in regolith (“soil”), driven by Mars' cyclic orbital evolution over the past 510 kyr (Figures 1h and 2; Buhler & Piqueux, 2021; Buhler et al., 2020). When obliquity decreases, polar sunlight decreases, and the MCID accumulates CO<sub>2</sub> ice (with H<sub>2</sub>O ice and dust impurities). When obliquity increases, CO<sub>2</sub> ablates, leaving behind lag layers (i.e., BLs) of residual refractory material (H<sub>2</sub>O ice, dust; Figure 1g).

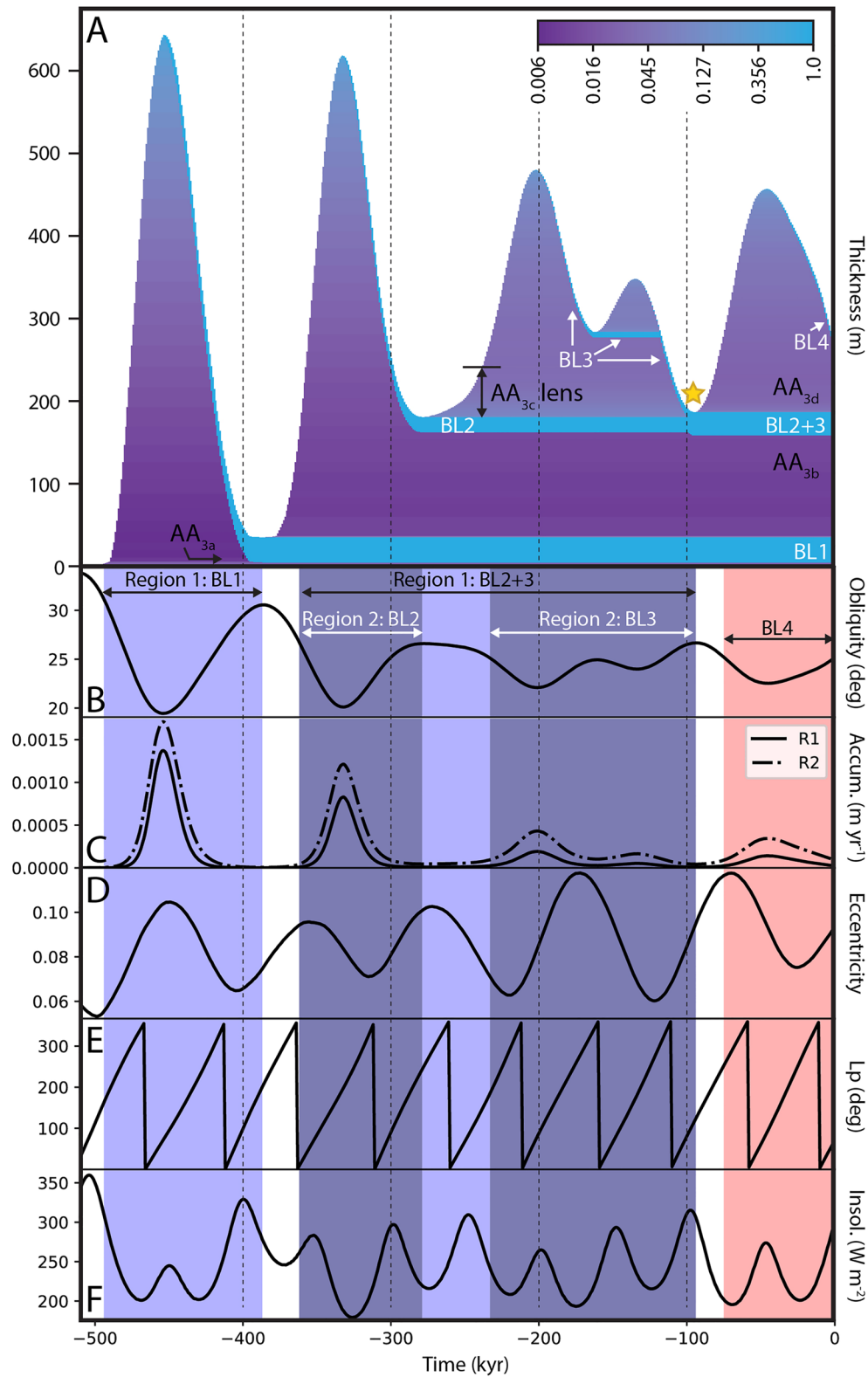


Figure 2.

The MCID record provides two main benefits over previously analyzed dusty H<sub>2</sub>O ice stratigraphy. First, physics-based modeling (Buhler & Piqueux, 2021; Buhler et al., 2020) has reproduced observed CO<sub>2</sub> layers, so MCID layer ages are better known than other polar layers. Second, the MCID cold traps H<sub>2</sub>O ice, meaning (a) H<sub>2</sub>O ice depositional physics are simpler (e.g., Mischna et al., 2003) and (b) BLs likely experience negligible ablation (Buhler et al., 2020; Innannen et al., 2022), allowing deposition rate retrieval (rather than net accumulation plus ablation rates).

Previous MCID formation modeling simplistically assumed constant H<sub>2</sub>O ice deposition (Buhler et al., 2020), predicting BL thicknesses inconsistent with later observation (Alwarda & Smith, 2021). Here, I introduce a new model of variable H<sub>2</sub>O ice deposition onto the MCID, building on a model of CO<sub>2</sub> exchange between the MCID, atmosphere (Buhler et al., 2020), and regolith (Buhler & Piqueux, 2021).

I use Markov Chain Monte Carlo (MCMC) modeling to evaluate heuristic H<sub>2</sub>O deposition rate ( $r_{\text{H}_2\text{O}}$ ) functions of various orbital parameters. This approach permits high-flexibility, broad exploration of  $r_{\text{H}_2\text{O}}$  parameter space, such that models can fit observations unconstrained by prior, process-based expectations. This flexibility is important because of the vast number of unconstrained processes governing  $r_{\text{H}_2\text{O}}$  (e.g., Smith et al., 2020). Nevertheless, model reasonableness is assessed from a physical process standpoint. Crucially, however, process-based analysis is performed *a posteriori*, unlike previous approaches constraining  $r_{\text{H}_2\text{O}}$  *a priori* to physical processes, essentially yielding parameter optimization for  $r_{\text{H}_2\text{O}}$  (onto the NPLD) within single-function heuristics: an (approximate) polar insolation step function (Hvidberg et al., 2012; their Section 5.1) or quadratic accumulation and exponential ablation functions of obliquity (Levrard et al., 2007).

## 2. Methods

### 2.1. Global CO<sub>2</sub> Exchange and Stratigraphic Model

Model CO<sub>2</sub> ice flux and  $r_{\text{H}_2\text{O}}$  are calculated in 1-kyr timesteps, yielding an output 1-kyr-resolution time-marching MCID stratigraphic column (Figure 2a). CO<sub>2</sub> ice flux follows equilibrated, mass-conserved exchange between the MCID, atmosphere, and regolith, driven by obliquity-dependent latitudinal insolation (Figure 1h; Buhler and Piqueux (2021); Text S2 in Supporting Information S1). Briefly, MCID-atmosphere vapor pressure equilibrium is determined by MCID surface elevation and CO<sub>2</sub> ice temperature set by insolation (including surface reflection, emission, and atmospheric scattering). Regolith-atmosphere adsorption equilibrium is determined by calculating regolith temperature set by insolation (including surface reflection and emission and subsurface conduction) across a 2-dimensional (latitude-depth) grid and iteratively calculating atmospheric pressure and total regolith adsorption using an empirical pressure-temperature adsorption relation (Zent & Quinn, 1995) until convergence is reached. The MCID and regolith exchange indirectly via the atmosphere.

During CO<sub>2</sub> accumulation, H<sub>2</sub>O ice deposits as an intimate mixture with thickness specified by an  $r_{\text{H}_2\text{O}}$  function (Section 2.2, Table 1). A new layer is added to the column top with appropriate fractional H<sub>2</sub>O content and thickness equal to the sum of deposited CO<sub>2</sub> and H<sub>2</sub>O ice layer thicknesses (Figure 1g). When CO<sub>2</sub> ablates, a pure H<sub>2</sub>O ice layer grows at the column top from both (a) newly deposited H<sub>2</sub>O ice and (b) previously deposited H<sub>2</sub>O liberated from subliming CO<sub>2</sub> (Figure 1g). If CO<sub>2</sub> ice between two BLs completely ablates, they merge (Figure 2a).

Conceptually, new H<sub>2</sub>O sources from the atmosphere, cold-trapped onto the main MCID body (during accumulation epochs) or onto a thin perennial CO<sub>2</sub> deposit overlying the topmost BL, that is, a “paleo-SPRC” (during ablation epochs; Buhler et al., 2020). H<sub>2</sub>O ice depositing onto a paleo-SPRC settles to the topmost BL during regional paleo-SPRC accumulation-ablation cycles (Buhler et al., 2017; Thomas et al., 2016) over ~100 years (Byrne & Ingersoll, 2003)—shorter than the model timestep—so  $r_{\text{H}_2\text{O}}$  is treated as direct deposition onto the model column.

**Figure 2.** (a) Favored model Region 1 stratigraphy. Log-normalized color bar shows fractional H<sub>2</sub>O component. Star = BL2-BL3 merger. Nb. BL2 and BL3 are constrained not to merge in the Region 2 model (not shown except for AA<sub>3c</sub> label, see Section 2.3). (b) Obliquity, (c) favored model  $r_{\text{H}_2\text{O}}$ , (d) eccentricity, (e) longitude of perihelion, (f) peak annual 90° S insolation (B and D-F from Laskar et al., 2004). Lavender regions indicate deposition duration of material ultimately agglomerated into BL1 and BL2+3 in Region 1. Dark lavender regions indicate deposition duration of material ultimately agglomerated into BL2 and BL3 in Region 2. Red region indicates deposition duration of material ultimately agglomerated into BL4.



**Table 1**  
Bayes Factor for All Models, as a Function of Obliquity  $\epsilon$ , Eccentricity  $e$ , Longitude of Perihelion  $L_P$ , and Peak Annual South Polar Insolation  $I$

Functional form ( $x$ indicates $\epsilon$ , $e$ , $L_P$ , or $I$ , respectively)	$\epsilon$	$e$	$L_P$	$I$
Region 1 Constant: $r_{H_2O} = A_0$	1	1	1	1
Region 1 Linear: $r_{H_2O} = A_1 + B_1x$	6	0.9	0.6	4
Region 1 Quadratic: $r_{H_2O} = A_2 + B_2x + C_2x^2$	65	29	0.9	64
Region 1 Cubic: $r_{H_2O} = A_3 + B_3x + C_3x^2 + D_3x^3$	78	57	0.9	59
Region 1 Quartic: $r_{H_2O} = A_4 + B_4x + C_4x^2 + D_4x^3 + E_4x^4$	71	72	0.9	55
Region 1 Exponential (dec.): $r_{H_2O} = A_5 \times \exp(B_5x)$	64	66	6	0.3
Region 1 Exponential (inc.): $r_{H_2O} = A_6 \times \exp(B_6x)$	63	0.5	6	4
*Region 1 Step Function (dec.): $r_{H_2O} = \begin{cases} A_7, x \leq B_7 \\ C_7, x > B_7 \end{cases}; A_7 > C_7$	0.5	40	0.7	1.1
*Region 1 Step Function (inc.): $r_{H_2O} = \begin{cases} A_8, x \geq B_8 \\ C_8, x < B_8 \end{cases}; A_8 < C_8$	17	0.9	0.7	52
Region 1 Cosine: $r_{H_2O} = A_9 \times \cos(B_9 + C_9 \times x) + D_9$	52	8	1.0	16
Region 1 Gaussian: $r_{H_2O} = A_{10} \times \exp(-(x - B_{10})^2 / (2 \times C_{10}^2))$	1.1	1.0	1.4	15
Region 2 Constant: $r_{H_2O} = A_0$	1	1	1	1
Region 2 Linear: $r_{H_2O} = A_1 + B_1x$	1.2	1.0	1.1	1.0
Region 2 Quadratic: $r_{H_2O} = A_2 + B_2x + C_2x^2$	2.6	1.5	1.0	1.5
Region 2 Cubic: $r_{H_2O} = A_3 + B_3x + C_3x^2 + D_3x^3$	1.5	1.6	1.0	2.2
Region 2 Quartic: $r_{H_2O} = A_4 + B_4x + C_4x^2 + D_4x^3 + E_4x^4$	2.7	1.2	0.9	2.3
Region 2 Exponential (dec.): $r_{H_2O} = A_5 \times \exp(B_5x)$	21	0.5	1.9	1.7
Region 2 Exponential (inc.): $r_{H_2O} = A_6 \times \exp(B_6x)$	<0.1	0.7	<0.1	0.9
*Region 2 Step Function (dec.): $r_{H_2O} = \begin{cases} A_7, x \leq B_7 \\ 0, x > B_7 \end{cases}; A_7 > C_7$	1.7	1.1	1.2	1.2
*Region 2 Step Function (inc.): $r_{H_2O} = \begin{cases} A_8, x \geq B_8 \\ 0, x < B_8 \end{cases}; A_8 < C_8$	1.5	0.9	1.4	1.1
Region 2 Cosine: $r_{H_2O} = A_9 \times \cos(B_9 + C_9 \times x) + D_9$	1.3	1.4	1.0	1.1
Region 2 Gaussian: $r_{H_2O} = A_{10} \times \exp(-(x - B_{10})^2 / (2 \times C_{10}^2))$	1.0	1.0	1.1	1.0
Note. *For $L_P$ the step function was cyclic modulo $360^\circ$ , that is, $r_{H_2O} = \begin{cases} A_N, x : [B_N, D_N] \\ C_N, x : (D_N, B_N) \end{cases}$ .				

## 2.2. Formal Best-Fit $r_{H_2O}$ Determination

Various  $r_{H_2O}$  formulations dependent on obliquity, eccentricity, longitude of perihelion, or south polar insolation were considered (Table 1), chosen because they cover the range of previously proposed orbitally driven polar  $r_{H_2O}$ : polynomial and exponential (e.g., Levrard et al., 2007); step function (e.g., Hvidberg et al., 2012); cosine or Gaussian (i.e., periodic or peaked; Montmessin et al., 2007; Vos et al., 2022). All models have equal prior probability and all parameters have uniform prior probability. Each  $r_{H_2O}$  formulation model was run through a  $10^8$ -iteration MCMC simulation (Buhler & Piqueux, 2021). Model likelihoods were compared using Bayes factors  $B$ , which reward better fits but penalize higher complexity (e.g., Kass & Raftery, 1995):

$$B_{i,j} = \frac{pr(\mathbf{D}|H_i)}{pr(\mathbf{D}|H_j)} \quad (1)$$

Model likelihood  $pr(\mathbf{D}|H)$  is the average of likelihoods sampled at each MCMC  $m$ -indexed step (Kass & Raftery, 1995):

$$pr(\mathbf{D}|H_i) = \frac{1}{M} \sum_{m=1}^M \prod_{d=1}^D \frac{1}{\sqrt{2\pi\sigma_d^2}} \exp\left(-\frac{1}{2} \left(\frac{(z(\theta_m) - \mu_d)^2}{\sigma_d^2}\right)\right) \quad (2)$$

The righthand side is the likelihood product for mean  $\mu$  and standard deviation  $\sigma$  of each  $d$ -indexed BL thickness datapoint and model-predicted thickness  $z$  from model parameters  $\theta$ , assuming Gaussian variance.

### 2.3. Observed Stratigraphy

Models were fit to two regional observations (Figure 1a; Alwarda & Smith, 2021). Region 1 is near [86° S, 270° E], clipped to where BL2+3 overlies BL1 (Figures 1b and 1c); here, observed BL1 thickness is  $31 \pm 5$  m and BL2+3 thickness is  $30 \pm 5$  m. Region 2 is near [86° S, 315° E], clipped to where BL3 separably overlies BL2 (Figures 1d and 1e); here, observed BL2 thickness is  $34 \pm 8$  m and BL3 thickness is  $37 \pm 7$  m. Quoted uncertainty is the quadratic addition of 10-m vertical Shallow Radar (SHARAD) instrument resolution (Foss et al., 2017; Seu et al., 2007; divided by  $\sqrt{N}$ , for  $N = 4,436$  and 909 observations in Region 1 and 2, respectively) and BL lateral thickness variation. These regions are the only regions with multiple overlying BLs, and therefore the only regions permitting meaningful assessment of non-constant deposition models.

SHARAD non-observation of BL4 was accounted for via an equal probability prior of  $BL4 \leq 10$  m (SHARAD's resolving power) and Gaussian prior probability decrease with  $1-\sigma$  scale of 5 m for  $BL4 > 10$  m; equivalently, the prior assumes BL4 has a 50%, 68%, 95%, or 99% likelihood of being resolved if it were 10, 15, 20, or 25 m thick, respectively. Region 2 modeling assumes H<sub>2</sub>O ice within the 60 m of CO<sub>2</sub> directly above BL2 remains trapped within the CO<sub>2</sub> ice (i.e., average AA<sub>3c</sub> lens thickness (Alwarda & Smith, 2021)).

## 3. Results

Table 1 shows model Bayes factors  $B$ , relative to a constant deposition model.  $B$  standard interpretation is 1-to-3: “marginal,” 3-to-20: “positive,” 20-to-150: “strong,” and >150: “very strong” (Kass & Raftery, 1995). In Region 2, exponentially decreasing  $r_{H_2O}$ -versus-obliquity  $\epsilon$  is “strongly” ( $B = 21$ ) favored over a constant  $r_{H_2O}$  model; all other models yield only marginal improvement ( $B < 3$ ). In Region 1, exponentially decreasing  $r_{H_2O}$ -versus- $\epsilon$  ( $B = 64$ ) is also “strongly” favored. However, quadratic  $r_{H_2O}$ -versus- $\epsilon$ , eccentricity  $e$ , and peak annual south polar insolation  $I$ ; exponential  $r_{H_2O}$ -versus- $e$ ; cosine  $r_{H_2O}$ -versus- $\epsilon$ ; step-function  $r_{H_2O}$ -versus- $e$ ; and Gaussian  $r_{H_2O}$ -versus- $I$ , are also “strongly” favored. Evidence for higher order polynomial models is statistically non-significant ( $B \ll 3\times$ ) compared to the lower polynomial forms nested within them; they are therefore formally disfavored (e.g., Raftery, 1993). All model solutions are presented in Figures S1–S8 in Supporting Information S1.

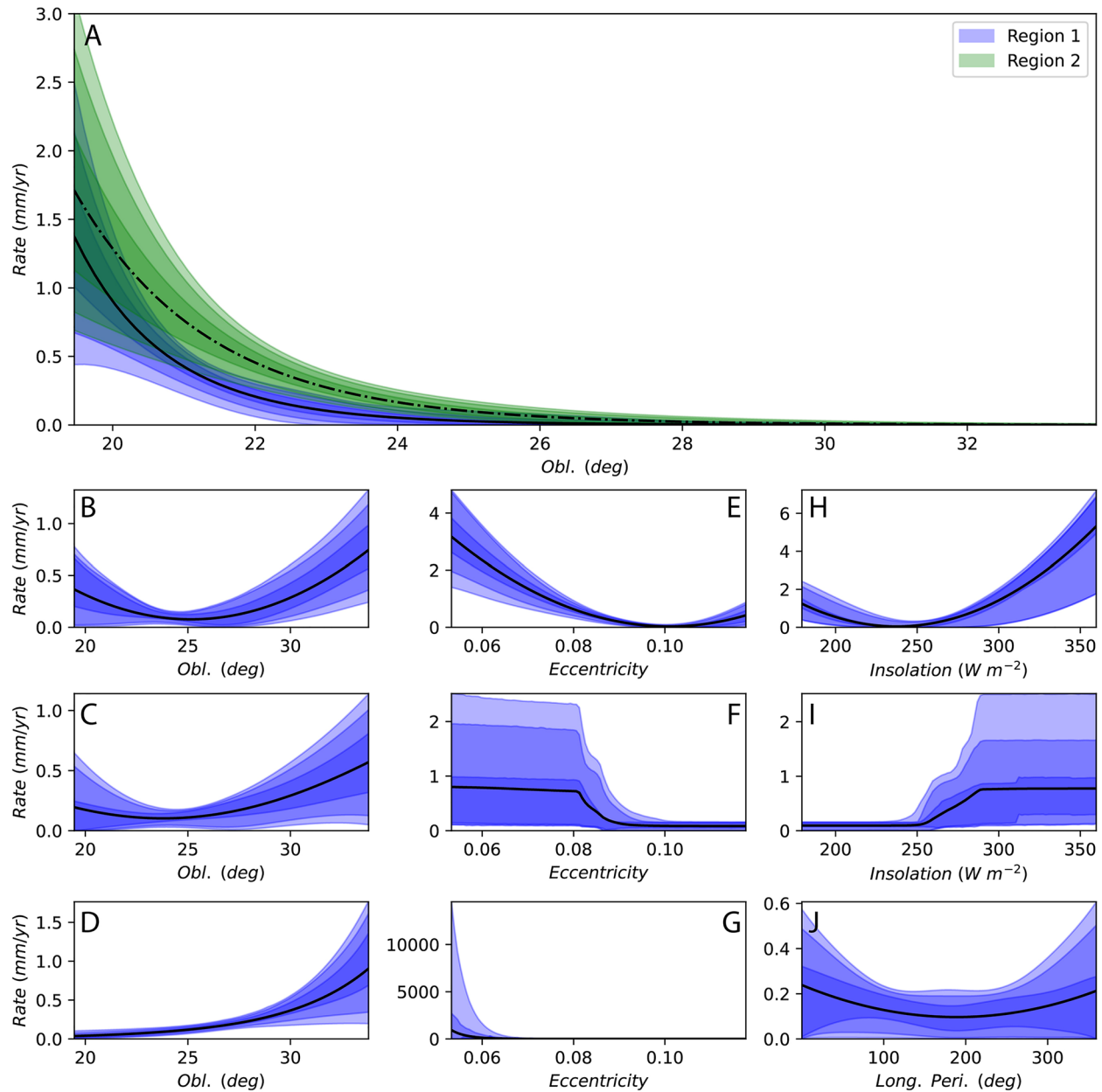
$B$  alone does not distinguish between Region 1 “strongly” favored models. However, the similarity of the model solutions with exponentially decreasing  $r_{H_2O}$ -versus- $\epsilon$  in Region 1 and Region 2 (Figure 3a) indicate preferring this solution, discussed further in Sections 4.1 and 4.2. Favored Region 1  $r_{H_2O} = \exp(-0.7450 \times \epsilon + 14.80)$  and Region 2  $r_{H_2O} = \exp(-0.5171 \times \epsilon + 10.59)$  (Figure 3a).

Favored Region 1  $r_{H_2O}$  history (Figure 2c) and resultant model stratigraphy (Figure 2a) predict BL1 thickness =  $30.4_{-6.6}^{+7.3}$ , BL2+3 thickness =  $28.3_{-7.8}^{+7.3}$ , BL4 thickness =  $6.3_{-2.3}^{+2.4}$  m and modern day ( $\epsilon = 25.2^\circ$ )  $r_{H_2O} = 0.03_{-0.02}^{+0.03}$  mm yr<sup>-1</sup> (68% confidence intervals). The favored Region 2 model predicts a generally similar (but higher)  $r_{H_2O}$ -versus- $\epsilon$  relation (Figures 2c and 3a), BL2 thickness =  $33.8_{-7.8}^{+7.0}$ , BL3 thickness =  $25.6_{-5.1}^{+5.0}$ , BL4 thickness =  $17.2_{-3.0}^{+3.1}$  m and modern day  $r_{H_2O} = 0.09_{-0.03}^{+0.02}$  mm yr<sup>-1</sup>.

## 4. Discussion

### 4.1. Model Performance Interpretation

Model selection behavior can be understood within the following framework. In Region 1, BL1 and BL2+3 thicknesses are similar, but BL2+3 formed over 2.4× as much time (387-to-94 kyr) as BL1 (510-to-387 kyr;



**Figure 3.** Model Massive CO<sub>2</sub> Ice Deposit water ice deposition  $r_{\text{H}_2\text{O}}$  with best fit (line), 68% (dark), 95% (intermediate), and 99% (light) confidence intervals. (a) Favored Region 1 (blue/solid) and 2 (green/dash-dot) models: exponential decrease with  $\epsilon$ . Other Region 1 models: (b) quadratic, (c) cosine, (d) exponential increase with  $\epsilon$ ; (e) quadratic, (f) decreasing step function, (g) exponential decrease with  $\epsilon$ ; (h) quadratic, (i) increasing step function with  $I$ ; (j) quadratic with  $L_P$ .

Figure 2). Likewise, in Region 2, BL2 and BL3 thicknesses are similar, but BL3 formed over 1.7× as much time (238-to-94 kyr) as BL2 (362-to-278 kyr). Thus, selection favors models with ~2.4× higher aggregate  $r_{\text{H}_2\text{O}}$  during BL1 formation than during BL2+3 formation in Region 1 and ~1.7× higher  $r_{\text{H}_2\text{O}}$  during BL2 formation than during BL3 formation in Region 2.

For example,  $\epsilon$  variation amplitudes during BL1 formation were higher than during BL2+3 formation yet oscillated around a ~24° center during both periods (Figure 2b). Thus, Region 1  $r_{\text{H}_2\text{O}}$ -versus- $\epsilon$  models degenerately prefer high  $r_{\text{H}_2\text{O}}$  at low  $\epsilon$  (Figure 3a), high  $\epsilon$  (Figure 3d) or both (with minimum  $r_{\text{H}_2\text{O}}$  centered at  $\epsilon \sim 24^\circ$ ; Figures 3b and 3c) because these solutions yield higher  $r_{\text{H}_2\text{O}}$  during BL1 formation than during BL2+3 formation. Generally, solutions maximize  $r_{\text{H}_2\text{O}}$  for orbital parameter space more represented during BL1 formation versus BL2+3 formation, as evident by comparing Figure 3 solutions vis-à-vis Figure 2 orbital history.

Region 2 yields a single “strongly” favored exponential  $r_{\text{H}_2\text{O}}$ -versus- $\epsilon$  functional form. For Region 1, exponential  $r_{\text{H}_2\text{O}}$ -versus- $\epsilon$  is also “strongly” favored, but alongside other forms. Solutions for Region 1 are likely more degenerate because Region 1 samples longer deposition periods than Region 2, averaging out  $r_{\text{H}_2\text{O}}$  temporal variations sampled by the BLs, thereby decreasing signal uniqueness. Based on Region 2 fit *a posteriori* information, I favor exponentially increasing  $r_{\text{H}_2\text{O}}$ -versus- $\epsilon$  over other equally performing (based solely on  $B$ ) functions for Region 1 because it is difficult to conceive of processes driving  $r_{\text{H}_2\text{O}}$  according to different orbital dependencies in two nearby, physically similar environments.

Additionally, other Region 1 solutions are inconsistent with physics-based  $\text{H}_2\text{O}$  cycle predictions. Quadratic, cosine, and exponentially increasing  $r_{\text{H}_2\text{O}}$ -versus- $\epsilon$  and step function  $r_{\text{H}_2\text{O}}$ -versus- $I$  solutions (Figures 3b–3d, and 3i) have increasing  $r_{\text{H}_2\text{O}}$  for  $\epsilon > \sim 24^\circ$ , opposite to physics-based modeling (e.g., Toon et al., 1980). Potentially, increased dust deposition augmenting  $r_{\text{H}_2\text{O}}$  could thicken BLs at high  $\epsilon$  or  $I$ , but Section 3 results would require significantly larger high- $\epsilon$  deposition rates than seen in dust cycle modeling (Emmett et al., 2020). The quadratic  $r_{\text{H}_2\text{O}}$ -versus- $L_p$  solution (Figure 3j) is equally distributed around a constant value at the  $1\sigma$  level, indicating weak  $L_p$  dependence. Furthermore, the mean solution indicates  $\sim 180^\circ$  minimum and  $\sim 0^\circ$  maximum  $r_{\text{H}_2\text{O}}$ ,  $90^\circ$  out of phase with physics-based modeling (Montmessin et al., 2007). Other “strongly” favored solutions (Figures 3e–3h) have neither obvious physical meaning nor correlate with behavior found in prior studies.

#### 4.2. Regional Differences

Unique to Region 1, BL1 overlies  $\text{CO}_2$  ice Unit  $\text{AA}_{3a}$  (Figure 1f), elsewhere BL1 is not separately resolvable from Unit  $\text{AA}_2$  basement (Figure 1a). Two mechanisms may be responsible for preserving Region 1 Unit  $\text{AA}_{3a}$ : (a) Region 1's lower elevation provides greater  $\text{CO}_2$  stability given equivalent surface thermal and optical properties (Buhler et al., 2020) and (b) Region 1 overlies a subsurface basin, which potentially ponded a thick Unit  $\text{AA}_{3a}$  layer via glacial flow (Smith et al., 2022).

Unique to Region 2, BL2 and BL3 separate around  $\text{CO}_2$  ice Unit  $\text{AA}_{3c}$  (Figure 1f), indicating incomplete Unit  $\text{AA}_{3c}$  ablation during the  $\epsilon$  maximum at 94 kyr (Figure 2). Also, Region 2 BL2 + BL3 thickness is greater than merged BL2+3 thickness elsewhere (Alwarda & Smith, 2021). Notably, the 94-kyr ( $26.67^\circ$ ) and 278-kyr obliquity maxima ( $26.60^\circ$ ) were similar (Figure 2b), indicating local, second-order (compared to  $\epsilon$  control) mechanical or thermal kinetic hindrance due to the unusually thick overlying BL3 layer may have protected Unit  $\text{AA}_{3c}$   $\text{CO}_2$  from complete ablation, even though BLs do not generally protect against subsurface  $\text{CO}_2$  sublimation (Buhler et al., 2020).

Figure 3a shows that model-predicted regional rates of change in  $r_{\text{H}_2\text{O}}$  as a function of  $\epsilon$  are remarkably similar, but that  $r_{\text{H}_2\text{O}}$  is consistently higher in Region 2 (with formal statistical significance; Text S3 in Supporting Information S1). Wind-mediated water transport variation may cause local  $r_{\text{H}_2\text{O}}$  differences, as seen for 1-to-100-km scales in the NPLD, SPLD, and Antarctic (Earth) records (e.g., Herny et al., 2014; Smith et al., 2013) and present-day south polar  $r_{\text{H}_2\text{O}}$  observation and modeling (Langevin et al., 2007; Montmessin et al., 2004, 2007; Pottier et al., 2017). Persistently different regional deposition rates may be related to local or global orographic effects, such as known asymmetrical  $\text{CO}_2$  (Colaprete et al., 2005) and  $\text{H}_2\text{O}$  (Langevin et al., 2007) south polar deposition patterns driven by Hellas Basin.

#### 4.3. Previous $r_{\text{H}_2\text{O}}$ Calculations

Model-predicted present-day ( $\epsilon = 25.2^\circ$ )  $r_{\text{H}_2\text{O}}$  (Section 3) is consistent with observation and physics-based modeling. Brown et al. (2014) observed  $r_{\text{H}_2\text{O}} = 6 \times 10^{12}$  to  $1.2 \times 10^{14} \text{ g yr}^{-1}$  deposition onto the SPRC, commensurate, at the low end, with Region 1 and Region 2 present-day, model-predicted  $r_{\text{H}_2\text{O}} = 4.5^{+6.0}_{-4.0} \times 10^{12} \text{ g yr}^{-1}$  and  $1.7^{+0.3}_{-0.6} \times 10^{13} \text{ g yr}^{-1}$  (calculated by extrapolation over a  $2 \times 10^{11} \text{ m}^2$  cap area, as in Brown et al. (2014)). Langevin et al. (2007) climate modeling predicts present-day  $r_{\text{H}_2\text{O}}$  between several  $\times 0.1$ —to—1 micron per sol between solar longitudes  $189$  and  $270^\circ$  (their Figure 28), equivalent to a few  $\times 10^{12}$ – $2 \times 10^{13} \text{ g yr}^{-1}$  (scaled to  $2 \times 10^{11} \text{ m}^2$ , as above), consistent with Section 3 results. Earlier climate modeling by Richardson and Wilson (2002, their Figure 12c) and Mischna et al. (2003, their Figure 11a) both find slightly higher  $r_{\text{H}_2\text{O}} \sim 6$ – $9 \times 10^{13} \text{ g yr}^{-1}$  and  $\sim 7 \times 10^{13} \text{ g yr}^{-1}$ , respectively (scaled to  $2 \times 10^{11} \text{ m}^2$ , as above).

Myr-average  $\text{H}_2\text{O}$ -ice-plus-dust deposition rates calculated from the SPLD (from  $> \sim 10$  Myr ago; Becerra et al., 2019), Burroughs crater ( $\sim 4$ – $4.5$  Myr;  $72.3^\circ\text{S}$ ,  $116.6^\circ\text{E}$ ; Sori et al., 2022), and NPLD ( $\sim 4$ – $4.5$  Myr; e.g.,



Hvidberg et al., 2012; Becerra et al., 2017) records are 0.13–0.39, 0.13, and 0.55 mm yr<sup>-1</sup>, respectively. Section 3 best-fit equations yield a comparable average 510-kyr MCID  $r_{\text{H}_2\text{O}} = 12 \text{ mm yr}^{-1}$  (Region 1) and 0.25 mm yr<sup>-1</sup> (Region 2). Extrapolating to 1 or 4.5 Myr yields higher MCID  $r_{\text{H}_2\text{O}}$  (~1.0 mm yr<sup>-1</sup>) due to substantial sampling of low- $\epsilon$  (15–19°)  $r_{\text{H}_2\text{O}}$ . However, exponential  $r_{\text{H}_2\text{O}}$  extrapolation beyond  $\epsilon$  sampled by BLs (~19–34°) should be interpreted cautiously.

#### 4.4. Physical Interpretation

Perennial (SPRC or MCID) CO<sub>2</sub> ice cold traps atmospheric water entering MCID airspace (e.g., Montmessin et al., 2007). Thus, MCID  $r_{\text{H}_2\text{O}}$  has a straightforward interpretation: the rate of atmospheric water entering MCID airspace, a much simpler interpretation than  $r_{\text{H}_2\text{O}}$  onto other (non-perennially-CO<sub>2</sub>-covered) polar deposits, which is the net result of a complex, incompletely understood seasonal H<sub>2</sub>O accumulation-ablation cycle (e.g., Hvidberg et al., 2012). Moreover, MCID H<sub>2</sub>O ice remains cold-trapped until  $\epsilon$  exceeds ~34° (Buhler & Piqueux, 2021), the threshold at which the entire MCID ablates (and BLs merge onto underlying SPLD and ablate until a thick enough protective dust lag develops (e.g., Herkenhoff & Plaut, 2000)). Thus, MCID  $r_{\text{H}_2\text{O}}$  records a straightforward accumulation rate, as opposed to the complex seasonally and orbitally varying accumulation-ablation signal in other layered ice deposits (e.g., Becerra et al., 2017).

Water entering MCID airspace ultimately sources from north polar and/or midlatitude regolith reservoirs (e.g., Montmessin et al., 2017). Recent (<~3.5 Myr) global H<sub>2</sub>O exchange is likely controlled by 10<sup>5</sup>-yr ( $\epsilon$ -dependent) midlatitude-to-pole H<sub>2</sub>O ice exchange and 10<sup>4</sup>-yr ( $L_p$ -dependent) interhemispheric polar H<sub>2</sub>O ice exchange (Section 1). Interhemispheric exchange transfers H<sub>2</sub>O away from the hemisphere with short, hot summers (presently south-to-north) (Montmessin et al., 2007).  $L_p$  circulates on shorter (51 kyr; Laskar et al., 2004) timescales than BL formation, averaging out  $L_p$ -dependent  $r_{\text{H}_2\text{O}}$  variation (Figure 2e). Consequently, this study neither finds nor rules out meaningful  $r_{\text{H}_2\text{O}}$ -versus- $L_p$  or  $r_{\text{H}_2\text{O}}$ -versus- $I$  dependency. However,  $r_{\text{H}_2\text{O}}$ -versus- $\epsilon$  signal recovery (Figure 3a) indicates that  $r_{\text{H}_2\text{O}}$ -versus- $L_p$  variations do not obscure the  $r_{\text{H}_2\text{O}}$ -versus- $\epsilon$  relation.

Mars' polar and atmospheric reservoirs are mixed by seasonal and 51 kyr  $L_p$  cycles, which are shorter than  $\epsilon$  cycles, so the  $\epsilon$ -dependent  $r_{\text{H}_2\text{O}}$  result (Figure 3a) thus likely probes regolith processes governing midlatitude-to-pole H<sub>2</sub>O transport (e.g., Mellon & Jakosky, 1995). Physics-based modeling also indicates increased midlatitude-to-pole transport with decreasing  $\epsilon$  (Mischna et al., 2003; Schorghofer & Forget, 2012). However, midlatitude ice sublimation rates sensitively depend on unknown regolith properties (e.g., porosity, tortuosity) and are uncertain at order-of-magnitude levels, even for the present day (e.g., Montmessin et al., 2017), so the results presented here provide a major improvement in determining quantitative  $\epsilon$ -mediated midlatitude-to-pole H<sub>2</sub>O transport rates.

#### 4.5. Future Work and Conclusion

Future BL4 thickness and BL ice-to-dust ratio observations will allow application of the techniques introduced here to more regions of the MCID and allow isolation of H<sub>2</sub>O and dust deposition rates. In this work,  $I$  was chosen as a physically meaningful orbital element ( $\epsilon$ ,  $L_p$ ,  $e$ ) convolution that has been previously proposed to modulate  $r_{\text{H}_2\text{O}}$ ; other convolutions could be considered in future work. Glacial flow in Region 2 is probably low, but is likely more significant in Region 1 (Smith et al., 2022) and future investigation of how flow affects  $r_{\text{H}_2\text{O}}$  interpretation will be useful.

The obliquity-dependent MCID H<sub>2</sub>O deposition rates presented here provide new, quantitative insight into the recent, exogenous (orbital) driving of midlatitude-to-pole H<sub>2</sub>O transport. Previous orbit-driven  $r_{\text{H}_2\text{O}}$  climate model investigations had either low parameter space resolution (e.g., Mischna et al., 2003) or studied conditions different from the past ~3.5 Myr, for example, with large equatorial ice reservoirs (Levrard et al., 2004; Montmessin et al., 2004; Vos et al., 2022) or without a perennial CO<sub>2</sub> deposit (Emmett et al., 2020), while previous observational analysis derived only Myr-average polar deposition rates (Section 4.3). Thus, the results presented here provide a substantially improved framework for future quantitative investigations of endogenous processes driving Mars' recent (~3.5 Myr) global water cycle.

#### Data Availability Statement

Stratigraphic model code (version 1) and data plotted in Figures 2 and 3 are available in a figshare repository via <https://doi.org/10.6084/m9.figshare.21201199.v1> under CC BY 4.0 license (Buhler, 2022); radar data (Figure 1) is available from Alwarda and Smith (2021).

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